Part I (due at the beginning of class Monday, November 24, 2025)

Refresh your reading of Chapter 10 so you're ready to discuss it in class.

Part II: Exercises (prepare for class Monday, November 24, 2025)

- 1. (Apparently we'll do this one Monday.) Explain why each of the four decision methods described in Chapter 10 satisfy each of the first three axioms.
- 2. Exercise 10.1

Part III: Homework Problems (due Wednesday, December 3 at the beginning of class)

Suppose a matrix for a zero-sum game is square and symmetric along the off-diagonal (the diagonal that starts in the upper right corner of the matrix and goes to the lower left corner) and has a mixed strategy solution for Rose and Colin. True or false: Rose's optimal mixed strategy is the same numbers as Colin's optimal mixed strategy but in reverse order. For example, if Rose's optimal mixed strategy for such a 3×3 game is $\left(\frac{1}{4}, \frac{5}{12}, \frac{1}{3}\right)$, then Colin's optimal mixed strategy is $\left(\frac{1}{3}, \frac{5}{12}, \frac{1}{4}\right)$. Explore this question by considering it for 2×2 games and then 3×3 games. If true, prove (in whatever dimension you can: 2, 3, or n); if false, give an explained counterexample. (Credit to Josiah for his conjecture that led to this question.)